

# Electronic structure of copper intercalated transition metal dichalcogenides: First-principles calculations

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We report first principles calculations, within density functional theory, of copper intercalated titanium diselenides,  $\text{Cu}_x\text{TiSe}_2$ , for values of  $x$  ranging from 0 to 0.11. The effect of intercalation on the energy bands and density of states of the host material is studied in order to better understand the cause of the superconductivity that was recently observed in these structures. We find that charge transfer from the copper atoms to the metal dichalcogenide host layers causes a gradual reduction in the number of holes in the otherwise semi-metallic pristine  $\text{TiSe}_2$ , thus suppressing the charge density wave transition at low temperatures, and a corresponding increase in the density of states at the Fermi level. These effects are probably what drive the superconducting transition in the intercalated systems.

## I. INTRODUCTION

Transition metal dichalcogenides (TMDCs) are quasi-two-dimensional, highly anisotropic layered compounds that are of great interest in basic research as well as in applications in such areas as lubrication, catalysis, electrochemical photocells, and novel battery systems<sup>1</sup>. Recently, it became possible to synthesize other forms of TMDCs such as balls and nanotubes<sup>2,3,4</sup>. TMDCs generally have the formula  $\text{MX}_2$ , where M is a transition metal, such as vanadium, titanium, tantalum, molybdenum, or others, and X is a chalcogen atom, such as sulfur, selenium, or tellurium. Each layer consists of a metal sheet sandwiched between two chalcogen sheets. Whereas within each layer the bonds connecting a metal atom in one sheet to the chalcogen atoms in surrounding sheets are strong covalent bonds, adjacent layers are only weakly coupled through the van der Waal's interaction. Two types of  $\text{MX}_2$  sandwiches occur depending on the coordination of the transition metal atom by the chalcogens. In 1T- $\text{MX}_2$  the coordination is octahedral whereas in 2H- $\text{MX}_2$  it is trigonal prismatic.

The weak coupling between adjacent layers in TMDCs makes it possible to introduce foreign species into the region between these layers, a region called the van der Waal's gap. This process, known as intercalation, provides the ability to tune the electronic properties of the system by controlling the type and concentration of the intercalant. This is a general property of layered materials, and just like graphite, which has been intercalated with many kinds of atoms and molecules,<sup>5</sup> TMDCs have been intercalated with alkali atoms, transition metal atoms, and organic and inorganic molecules<sup>1</sup>.

Among the most important properties of TMDCs is that some of them undergo a phase transition to a charge density wave (CDW) state as the temperature is lowered<sup>6</sup>. 1T- $\text{TiSe}_2$  is one of the first compounds where the CDW state was observed at a temperature of 200K<sup>6,7,8</sup>. The state is associated with the formation of a commensurate ( $2\times 2$ ) superlattice. It is not completely clear what mechanism drives this phase transition. Possible

explanations are offered in terms of an indirect Jahn-Teller effect,<sup>9,10</sup> or by an exciton condensation mechanism<sup>11,12</sup>.

Recent angle resolved photoemission spectroscopy (ARPES) studies have not resolved whether 1T- $\text{TiSe}_2$  is a semimetal with low electron and hole concentration or a narrow-gap semiconductor in either the normal or the CDW state<sup>13,14,15</sup>. Optical measurements, on the other hand, reveal that  $\text{TiSe}_2$  is a semimetal with low carrier density at temperatures above as well as below the CDW transition<sup>16</sup>. This is consistent with band structure calculations<sup>17</sup> which reveal the presence of an electron pocket, around the L point in the Brillouin zone, derived from Ti 3d states, and a hole pocket around the  $\Gamma$  point derived from Se 4p states.

Recently it was reported<sup>18</sup> that upon controlled intercalation of  $\text{TiSe}_2$  with Cu to yield  $\text{Cu}_x\text{TiSe}_2$  the CDW transition is continually suppressed, making way for a new superconducting state that emerges near  $x = 0.04$ , with a maximum transition temperature  $T_c$  of 4.15K occurring at  $x = 0.08$ ; further increase in  $x$  results in a drop of  $T_c$ . It should be noted that while superconductivity was previously observed in 2H structures, such as 2H-NbSe<sub>2</sub>, 2H-TaSe<sub>2</sub>, 2H-NbS<sub>2</sub>, and 2H-TaS<sub>2</sub>,<sup>19</sup> the copper intercalated  $\text{TiSe}_2$  is the first superconducting 1T-structured TMDC. As Cu atoms are intercalated, they move into the van der Waal's gap separating adjacent  $\text{TiSe}_2$  layers. With a single electron in the outer 4s shell, electronic charge transfer proceeds from Cu to the  $\text{TiSe}_2$  layers, causing an increase in the number of electrons in the Ti 3d bands and a reduction in the number of holes in the Se 4p bands. As a result of this, the effective screening of the electron-hole Coulomb interaction is enhanced, causing a drop in the CDW transition temperature as the intercalant concentration increases, and at  $x = 0.06$  the transition is completely suppressed. The superconducting transition, on the other hand, emerges at  $x = 0.04$ . The  $\text{Cu}_x\text{TiSe}_2$  phase diagram resembles the corresponding diagram in cuprate and heavy fermion superconductors, except that there it is the antiferromagnetic spin order that competes with superconductivity, whereas in  $\text{Cu}_x\text{TiSe}_2$  it is the charge order<sup>20</sup>.

Recently, calculations of density of states (DOS) and the electron phonon coupling, using linear muffin-tin orbital (LMTO) method within the local density approximation, were reported for the case  $x = 0.08$  by Jeong and Jarlborg<sup>21</sup>. The authors consider a  $2 \times 2 \times 3$  supercell,  $\text{Cu}(\text{TiSe}_2)_{12}$ , and conclude that charge transfer from copper raises the electronic density of states at the Fermi energy. They also find a strong dependence on pressure of the DOS, and consequently the superconducting transition temperature.

In this paper we report band structure calculations for  $\text{Cu}_x\text{TiSe}_2$  for values of  $x$  ranging from 0.0 to 0.11 in an attempt to study the effect of copper intercalation on the electronic structure of  $\text{TiSe}_2$ . In particular, we calculate the energy bands of  $\text{TiSe}_2$  and the compounds  $\text{Cu}_{1/16}\text{TiSe}_2$ ,  $\text{Cu}_{1/13}\text{TiSe}_2$ , and  $\text{Cu}_{1/9}\text{TiSe}_2$ . In Section II we discuss the computational method and some relevant details, and in Section III we discuss the results and conclusions.

## II. METHOD

The first-principles calculations presented in this work were performed using the all-electron full potential linear augmented plane wave plus local orbitals (FP-LAPW+lo) method as implemented in WEN2K code<sup>22</sup>. In this method the core states are treated in a fully relativistic way but the valence states are treated at a scalar relativistic level. The exchange-correlation potential was calculated using the generalized gradient approximation (GGA) as proposed by Pedrew, Burke, and Ernzerhof<sup>23</sup>.

In the calculations on  $1\text{T-TiSe}_2$  the experimentally measured lattice constants ( $a = b = 3.534\text{\AA}$ ,  $c = 6.008\text{\AA}$ ) are employed<sup>24</sup>. The distance between the Ti plane and either of the adjacent Se planes is  $d = zc$ , where the value of  $z$  is obtained by minimizing the forces on the atoms to below  $2.0 \text{ mRy/Bohr}$ . In calculations on the intercalated compounds  $\text{Cu}_x\text{TiSe}_2$  the lattice constants are taken to coincide with the experimental values<sup>18</sup>, but the internal structure of the unit cell is allowed to relax, subject only to the constraint that the space group remains unchanged; again the force on each atom is reduced to below  $2.0 \text{ mRy/Bohr}$ . For the compound  $\text{Cu}_{1/16}\text{TiSe}_2$  the structure is taken to be that of  $\text{TiSe}_2$   $4 \times 4$  superlattice in the  $a$ - $b$  plane, with one Cu atom placed midway between one Ti atom in one layer and the nearest Ti atom in the adjacent layer; the unit cell is then hexagonal with  $a' = b' = 4a$ . Accordingly, the unit cell has 1 Cu atom, 16 Ti atoms, and 32 Se atoms, and if one Ti atom is placed at the origin  $(0,0,0)$ , then the Cu atom is placed at  $(0,0,c'/2)$ , where  $c'$  is the lattice parameter, in the direction normal to the  $a$ - $b$  plane, in the intercalated systems. A similar situation holds for  $\text{Cu}_{1/9}\text{TiSe}_2$  and  $\text{Cu}_{1/13}\text{TiSe}_2$  where the corresponding superlattices in the  $a$ - $b$  plane are  $3 \times 3$  and  $\sqrt{13} \times \sqrt{13}$ , respectively. The space group is  $P\text{-}3m1(\#164)$ , the same as in  $\text{TiSe}_2$ , in all these structures, except in  $\text{Cu}_{1/13}\text{TiSe}_2$ , where it is

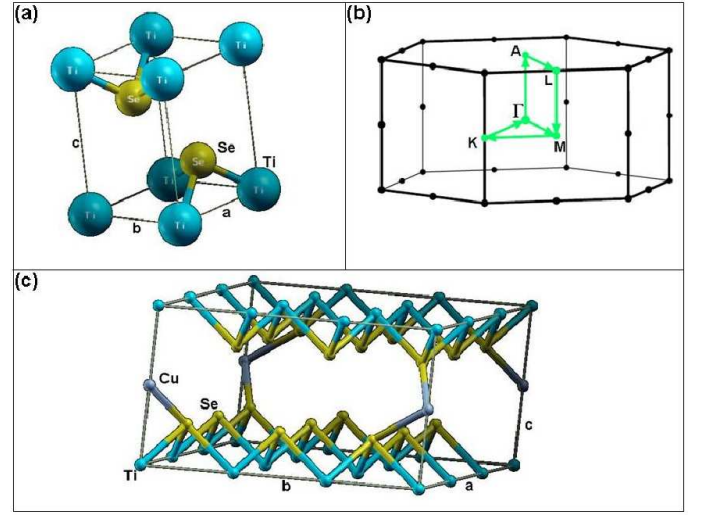


FIG. 1: (color online) The unit cell of  $\text{TiSe}_2$  is shown in (a), while the Brillouin zone, and the  $k$ -path along which the energy bands are calculated, are shown in (b). In (c), the unit cell for  $\text{Cu}(\text{TiSe}_2)_9$  is shown.

$P\text{-}3(\#147)$ . It should be noted here that the superlattice structure employed in these calculations is not necessarily the experimental lattice structure. For example, for the case  $x = 0.0625$ , we assume that the system is periodic with lattice constants in the  $a$  and  $b$  directions that are 4 times bigger than the corresponding values for  $x = 0$ , whereas the experimental crystal structure is not reported and there may well be some disorder in the system such that the Cu atoms, residing between adjacent TMDC layers, do not form a perfectly periodic two-dimensional lattice.

For calculations in this work, the radii of the muffin-tin spheres for Cu, Ti, and Se atoms were taken to be  $2.5a_0$ ,  $2.5a_0$ , and  $2.25a_0$  respectively, where  $a_0$  is the Bohr radius. The number of  $k$ -points in the irreducible part of the Brillouin zone (BZ) were 38, 41, 47, and 360 for  $\text{Cu}_{1/16}\text{TiSe}_2$ ,  $\text{Cu}_{1/13}\text{TiSe}_2$ ,  $\text{Cu}_{1/9}\text{TiSe}_2$ , and  $\text{TiSe}_2$ , respectively; these numbers were chosen so that the density of  $k$ -points in the whole BZ is roughly the same in the four cases. For all structures considered in this work we set the parameter  $R_{\text{MT}}K_{\text{MAX}}=7$ , where  $R_{\text{MT}}$  is the smallest muffin-tin radius and  $K_{\text{MAX}}$  is a cutoff wave-vector. The valence wavefunctions inside the muffin-tin spheres are expanded in terms of spherical harmonics up to  $l_{\text{max}} = 10$  while in the interstitial region they are expanded in plane waves with a wave-vector cutoff  $K_{\text{MAX}}$ , and the charge density is Fourier expanded up to  $G_{\text{MAX}}=14a_0^{-1}$ . Convergence of the self consistent field calculations is attained with a total energy convergence tolerance of  $0.1 \text{ mRy}$ .

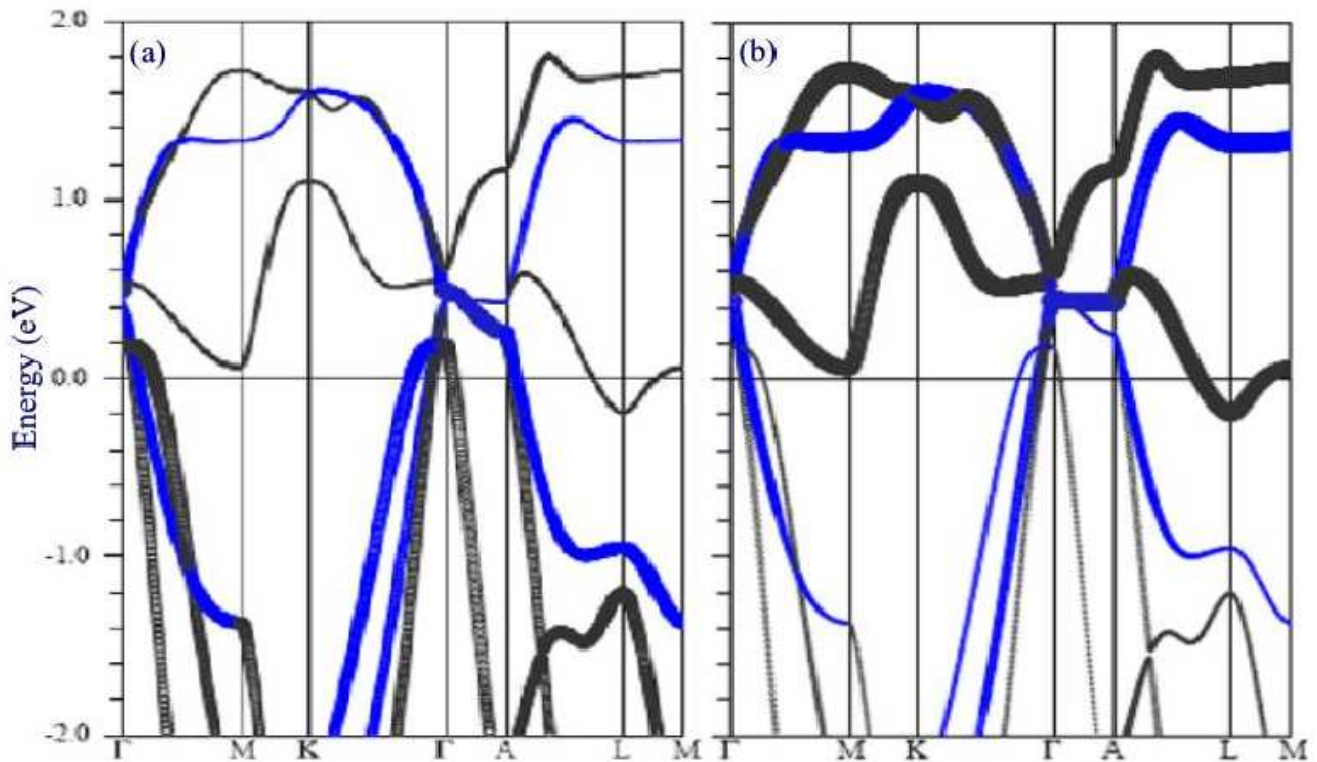


FIG. 2: (color online) Band character plot for  $\text{TiSe}_2$  along high symmetry directions in the Brillouin zone. In (a), the contribution from Se 4p states is shown. The width of the band lines is proportional to the contribution of the Se 4p states to these bands. In (b), the contribution of the Ti 3d states to the energy bands is emphasized. The Fermi level is at zero energy.

		$a/\text{\AA}$			$c/\text{\AA}$		
		10.641			6.044		
		Ideal superlattice (before optimization)			After optimization		
Atom	site	$x$	$y$	$z$	$x$	$y$	$z$
Ti(1)	1a	0	0	0	0	0	0
Ti(2)	6g	1/3	0	0	0.3362	0	0
Ti(3)	2d	2/3	1/3	0	2/3	1/3	0.000455
Se(1)	6i	1/9	2/9	0.2573	0.1134	0.2267	0.2561
Se(2)	6i	4/9	2/9	0.2573	0.4447	0.2224	0.2548
Se(3)	6i	4/9	8/9	0.2573	0.4446	0.8891	0.2572
Cu	1b	0	0	1/2	0	0	1/2

TABLE I: Comparison of the crystal structure of  $\text{Cu}(\text{TiSe}_2)_9$  before optimization, as derived from the structure of  $\text{TiSe}_2$ , with the relaxed structure obtained by minimizing the forces on the atoms. The space group of the crystal is P-3m1.

### III. RESULTS AND DISCUSSION

It is well known that the calculation method followed in this work (GGA, PBE) overestimates the unit cell volume and lattice constants and it gives a very large  $c/a$  value in layered compounds<sup>25</sup>. Indeed, upon optimization, Titov

et al.<sup>26</sup> obtained a value for  $c/a$  in  $\text{TiSe}_2$  which is about 5% larger than the experimental value. Since the lattice constants are known for the systems we study here, we perform the calculations using these experimental values, but we allow the internal coordinates to relax.

The unit cell of  $\text{TiSe}_2$ , shown in Fig. 1a, consists of one Ti atom and two Se atoms. The crystal coordinates of these atoms are given by  $\text{Ti}(0, 0, 0)$ ,  $\text{Se1}(1/3, 2/3, z)$ , and  $\text{Se2}(2/3, 1/3, -z)$ . Upon minimizing the forces on each atom to below 2 mRy/Bohr, it is found that  $z=0.2573$ ; the distance between the Ti plane and an adjacent Se plane is thus 1.546Å. The Brillouin zone (BZ) corresponding to the  $\text{TiSe}_2$  structure is shown in Fig. 1b, and the calculated energy bands along some high symmetry directions in the BZ are shown in Fig. 2. In Fig. 2a the contribution to the bands from the Se 4p states is shown, while in Fig. 2b the contribution from the Ti 3d states is displayed. The bands are in broad agreement with previous calculations<sup>17</sup>. They are also in good agreement with recent ARPES study<sup>27</sup> which shows that 1T- $\text{TiSe}_2$  has a semimetallic band structure with a negative energy gap  $E_G = -70 \pm 15$  meV, the Se 4p band having a maximum at  $30 \pm 10$  meV and the Ti 3d band having a minimum at  $-40 \pm 5$  meV with respect to the Fermi energy. By examining these plots, it is observed that the electron pocket

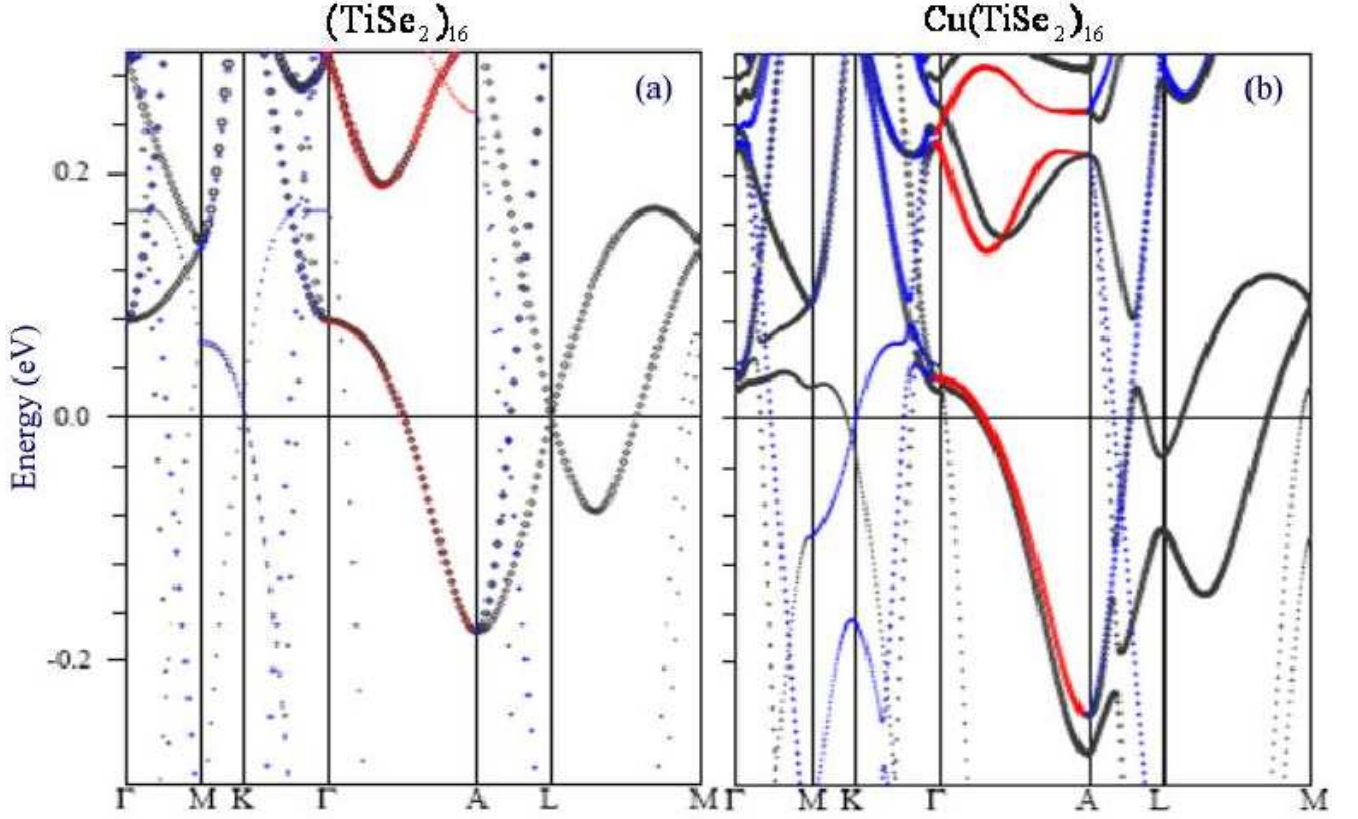


FIG. 3: (color online) Energy bands for the  $4 \times 4 \times 1$   $\text{TiSe}_2$  superlattice are shown in (a), while those for  $\text{Cu}(\text{TiSe}_2)_{16}$  are shown in (b). The contribution of Ti 3d states is emphasized in both plots, the width of the band lines being proportional to this contribution. The Fermi level is at zero energy.

at L is derived mainly from Ti 3d states, while the hole pockets at  $\Gamma$  and A are derived from Se 4p states with some significant hybridization with the Ti 3d states.

Upon intercalation by copper, the  $c$ -axis is increased slightly, and some slight rearrangement of the positions of the Se atoms takes place. The new positions are found by relaxing the structure so as to minimize the forces acting on the atoms. The lattice constants are held fixed at the experimental values, while the internal coordinates are allowed to change. We find that the incorporation of copper atoms between  $\text{TiSe}_2$  layers leads to only a slight modification in the atomic positions. To illustrate this point, we present in Table I the coordinates of the inequivalent atoms for the case of  $\text{Cu}(\text{TiSe}_2)_9$  in the ideal superlattice structure (before optimization) and the corresponding coordinates after optimization. In the three compounds,  $\text{Cu}_x\text{TiSe}_2$ , for  $x = 1/16, 1/13$ , and  $1/9$ , the Se atoms are displaced in the  $z$ -direction by  $\delta z$  where  $-0.006\text{\AA} < \delta z < 0.009\text{\AA}$ , whereas they are displaced in the  $a$ - $b$  plane by less than  $0.037\text{\AA}$ . Because of the slight displacement in the  $z$ -direction of the Se atoms, they no longer all lie in a single plane as is the case in undoped  $\text{TiSe}_2$ . Nevertheless, our results indicate that the disturbance caused by intercalating copper into the van der

Waal's gaps of  $\text{TiSe}_2$  is small as far as its effect on the atomic positions is concerned. This is not unusual, for a similar situation holds in graphite intercalation compounds where, besides an increase in the  $c$ -lattice constant, the effect on the structure of the carbon planes is minimal. This is a consequence of the fact that, both in  $\text{TiSe}_2$  and graphite, the bonding within each layer (in  $\text{TiSe}_2$  a layer consists of three atomic sheets) is of the strong covalent type.

The intercalation of copper into the van der Waal's gap in  $\text{TiSe}_2$  is stabilized by charge transfer from copper to the TMDC layers. Here we calculate the charge on each atom using Bader's quantum theory of "atoms in molecules" (AIM)<sup>28</sup>. In this theory space is divided among the atoms so that each atom occupies a definite volume bounded by a surface at which the flux in the gradient of the electron density  $\rho(\vec{r})$  vanishes,

$$\hat{n}(\vec{r}) \cdot \vec{\nabla} \rho(\vec{r}) = 0$$

where  $\hat{n}(\vec{r})$  is a unit vector normal to this bounding surface at  $\vec{r}$ . The number of electrons in a given atom, oc-



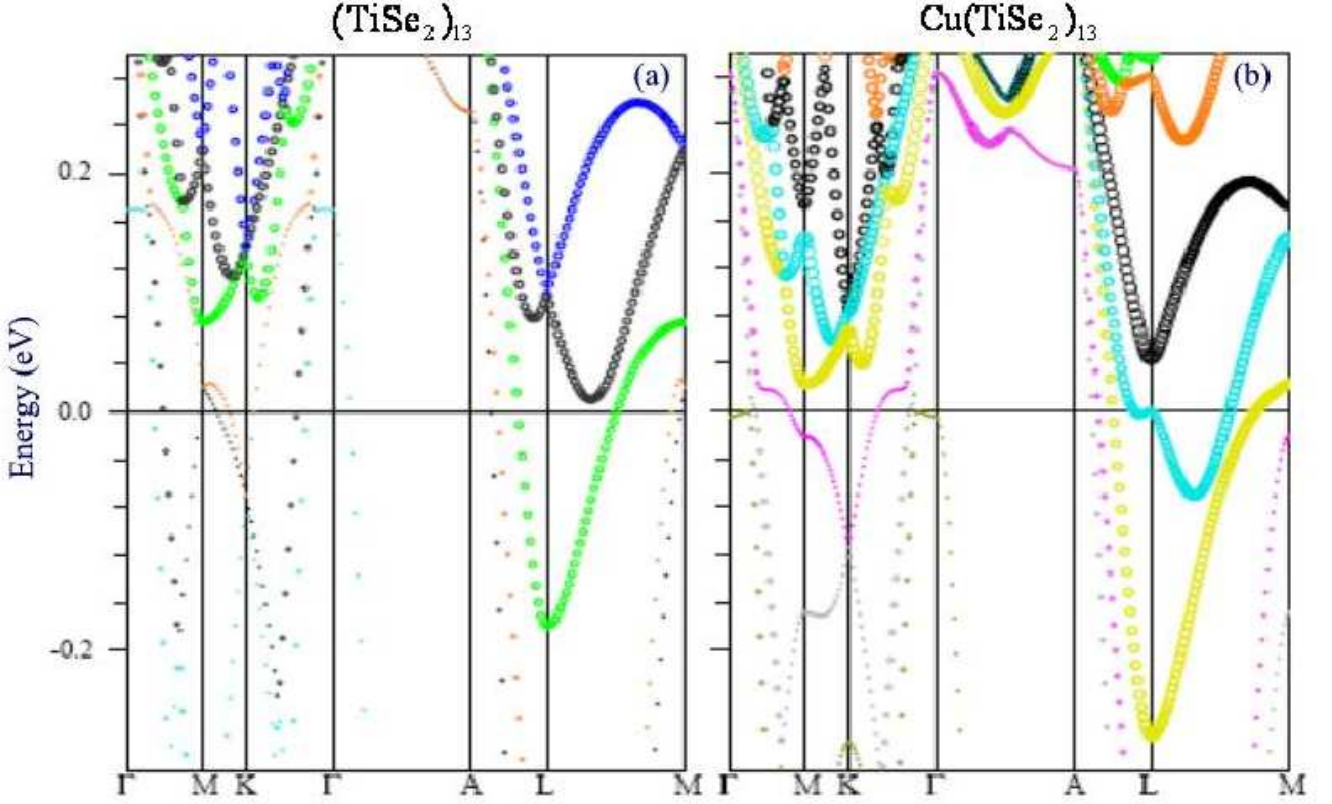


FIG. 4: (color online) Energy bands for the  $\sqrt{13} \times \sqrt{13} \times 1$  TiSe<sub>2</sub> superlattice obtained by zone folding of the TiSe<sub>2</sub> bands, and the energy bands for Cu(TiSe<sub>2</sub>)<sub>13</sub>, are shown in (a) and (b), respectively. The Fermi level is at zero energy. The Ti 3d contribution to each band is proportional to the width of the band line. Note that while the Fermi level rises by only 0.06 eV, as a result of Cu intercalation, the hole band, with a maximum at 0.17 eV at  $\Gamma$  in (a), shifts down in energy to just below Fermi level.

cupying a volume  $\Omega$ , is then given by

$$N_e = \int_{\Omega} \rho(\vec{r}) d^3 r.$$

For undoped TiSe<sub>2</sub> we find that Ti is positively charged with a charge of  $1.575e$  while each Se has a negative charge of  $-0.787e$ . In the intercalated compounds Cu(TiSe<sub>2</sub>) <sub>$x$</sub>  we find that the copper atom acquires a positive charge of  $0.445e$ ,  $0.444e$ , and  $0.450e$ , for  $x = 9, 13$ , and  $16$ , respectively. To illustrate how the charge is distributed we present in Table II the charge on each atom in the case of Cu(TiSe<sub>2</sub>)<sub>9</sub>, as calculated by Bader's AIM theory.

For the copper intercalated systems, the energy bands appear to be far more complicated than in undoped TiSe<sub>2</sub> because the unit cell has many more atoms. A direct comparison between the undoped TiSe<sub>2</sub> energy bands and those of the doped compounds is not very helpful in clearly elucidating the effect of copper intercalation. Most of the bands in the intercalated compounds result from the zone folding, into the smaller BZ, of the bands in the larger BZ of the pristine compound. Therefore, in order to gauge accurately the effect of intercalation with

copper on the energy bands, it is more useful to compare the bands in the Cu intercalated TiSe<sub>2</sub> with those that result from zone folding the pristine TiSe<sub>2</sub> bands into the smaller BZ characteristic of the intercalated compounds. For example, the compound Cu<sub>1/16</sub>TiSe<sub>2</sub> has the chemical formula Cu(TiSe<sub>2</sub>)<sub>16</sub>, and except for a slight variation in the  $c$  lattice parameter and an extra Cu atom, its unit

Atom	Site	$Q/e$	$\Delta Q/e$
Ti(1)	1a	1.551	-0.024
Ti(2)	6g	1.563	-0.012
Ti(3)	2d	1.577	+0.002
Se(1)	6i	-0.820	-0.033
Se(2)	6i	-0.801	-0.014
Se(3)	6i	-0.796	-0.009
Cu	1b	0.445	+0.445

TABLE II: The charge on each inequivalent site in Cu(TiSe<sub>2</sub>)<sub>9</sub>, as indicated by AIM theory, and the corresponding change, resulting from copper intercalation, in the charge on each site. Note that the charge of an electron is  $-e$ , so that  $e$  is positive.

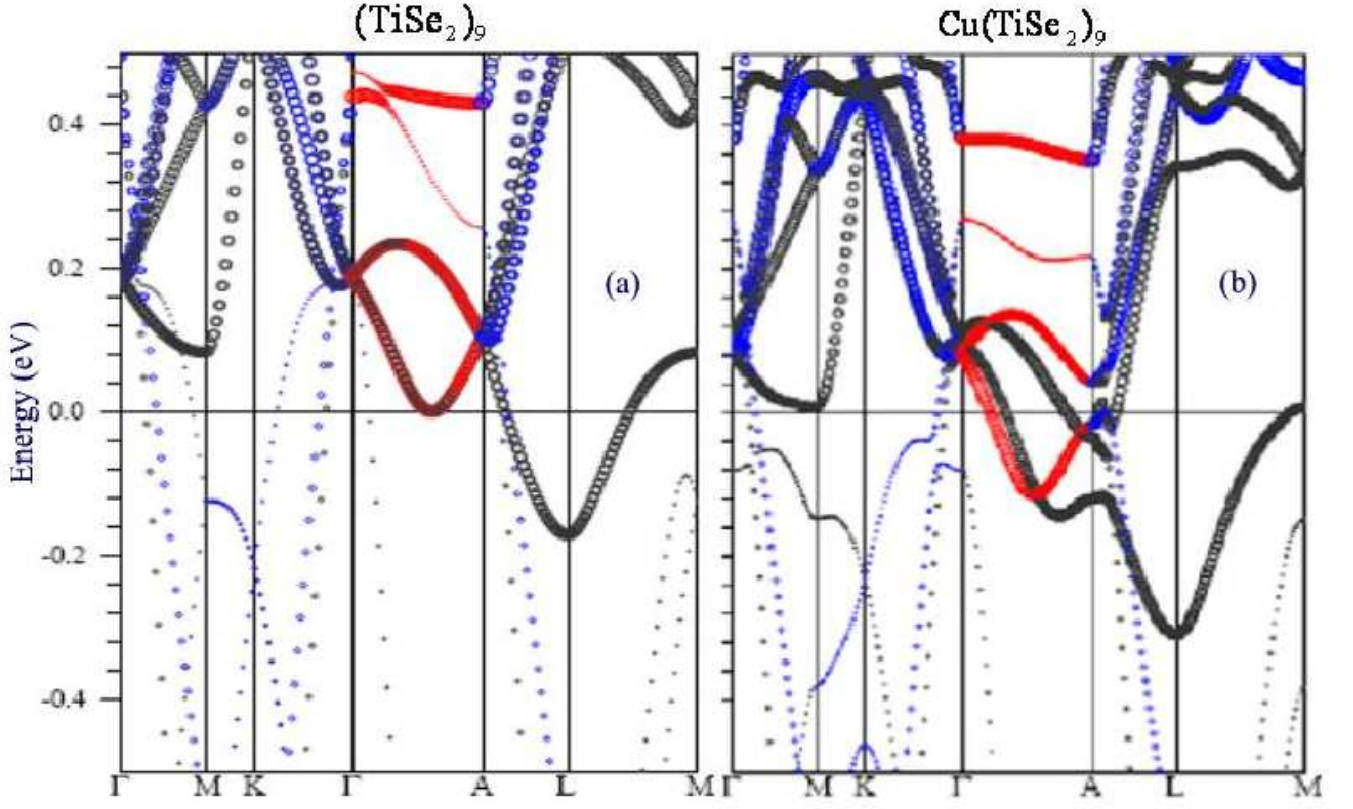


FIG. 5: (color online) Energy bands for the  $3 \times 3 \times 1$   $\text{TiSe}_2$  superlattice, obtained by zone folding of the  $\text{TiSe}_2$  bands, are shown in (a), while the bands of the copper intercalated compound is shown in (b). The Fermi level is at zero energy. The contribution of the Ti 3d states is emphasized. Note the rise, by 0.08 eV, of the Fermi level in (b), as compared to (a). The hole band, with a maximum at 0.17 eV at  $\Gamma$  in (a), shifts down in energy to -0.08 eV, as a result of copper intercalation. A similar fate meets the hole band at A.

cell would be the same as that of a  $4 \times 4 \times 1$  superlattice of pristine  $\text{TiSe}_2$ , which also consists of 16  $\text{TiSe}_2$  units. To understand the effect of the addition of copper in this case, we compare the energy bands of  $\text{Cu}(\text{TiSe}_2)_{16}$  with those of  $(\text{TiSe}_2)_{16}$ , the  $4 \times 4 \times 1$  undoped  $\text{TiSe}_2$  superlattice. Similar arguments apply in the case of intercalation compounds for other values of  $x$ , the copper concentration.

The energy bands of the systems studied in this work are shown in Figs. 3, 4, and 5. In Fig. 3 we compare the energy bands of the  $4 \times 4 \times 1$  superlattice with those of  $\text{Cu}(\text{TiSe}_2)_{16}$ . It should be noted that for the  $4 \times 4 \times 1$  superlattice, the BZ is 16 times smaller than that for pristine  $\text{TiSe}_2$ . The M and L points in the pristine  $\text{TiSe}_2$  BZ are zone-folded into the  $\Gamma$  and A points, respectively, in the superlattice BZ; this explains why features in the band structure at the M and L points in Fig. 2 now appear at points  $\Gamma$  and A, respectively, in Fig. 3. For example, in Fig. 3a, the band along  $\Gamma\text{A}$ , which crosses the Fermi level, and which is derived from Ti 3d states, corresponds to the band along  $\text{ML}$  in the pristine  $\text{TiSe}_2$  BZ; the M point is folded to  $\Gamma$  and the L point is folded to A. The effect of intercalation with Cu is seen to be a rise in the

Fermi level due to charge transfer from Cu. The bands derived from Cu states are more than 1 eV below the Fermi level; thus the main influence of Cu intercalation on the electronic properties is a charge transfer to the host layers, since in the immediate vicinity of the Fermi surface, all the bands are derived from Ti and Se states. For the case of the  $3 \times 3 \times 1$  and  $\sqrt{13} \times \sqrt{13} \times 1$  superlattices, the M and L points in the bigger BZ, corresponding to the case when the unit cell contains only one  $\text{TiSe}_2$  unit, are folded, respectively, into the M and L points in the smaller BZ of the superlattices.

By closely examining the energy bands in Figs. 3 - 5, we conclude that the charge transfer from Cu to the host layers leads to a slight rise in the Fermi level, but the host bands derived from Ti 3d states are largely unaffected; the rigid band model is a very good approximation in describing the effect of Cu intercalation in  $\text{TiSe}_2$  as far as the bands derived from Ti 3d states are concerned. For the Se 4p derived hole pockets at  $\Gamma$  and A points, however, the effect is not described by the rigid band model. The slight displacement of the Se atoms as a result of intercalation, and the charge transfer from Cu, combine to cause a suppression of the hole band. For

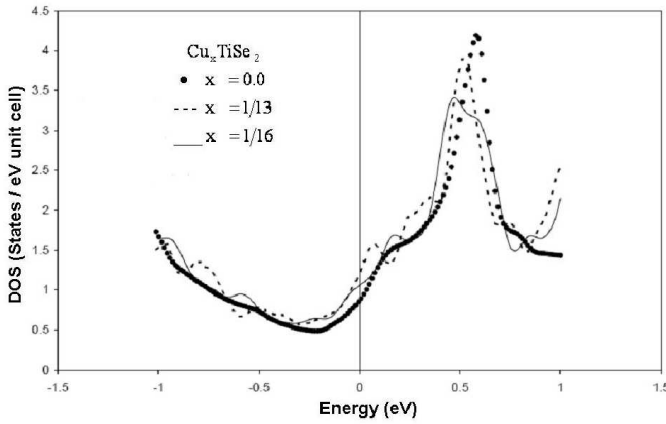


FIG. 6: Electronic density of states for  $\text{TiSe}_2$  and two intercalation compounds. Note the increase in the value of the DOS at the Fermi level, set at the zero of energy, as a result of Cu intercalation.

example, for copper concentration  $x=1/9$ , we see from the energy bands in Fig. 5 that while the Fermi level is raised by  $\sim 0.08\text{eV}$  due to Cu intercalation, the hole pockets at  $\Gamma$  and A are lowered by  $\sim 0.25\text{eV}$ ; indeed, these hole pockets are now below the Fermi level, and thus they are completely filled. Within the exciton condensation mechanism<sup>11,12</sup> for CDW transition, such a reduction in the number of holes leads to a suppression of the CDW state.

The emergence of superconductivity, as the concentration of Cu increases, is probably related to the suppression of the CDW transition and the concomitant increase in the electronic density of states in the vicinity of the Fermi level. We calculated the density of states for the various systems considered and in Fig. 6 we plot the density of state for pristine  $\text{TiSe}_2$  and two of the three intercalation compounds considered in this work. According to the BCS theory of superconductivity,<sup>29</sup> the transition temperature  $T_c$  increases with an increase in the density of states in the immediate vicinity of the Fermi level, the other important factor affecting  $T_c$  being the strength of the electron-phonon coupling. In Table III, we present the calculated density of state at the Fermi energy, in states per eV per one  $\text{TiSe}_2$  units, for pristine  $\text{TiSe}_2$  as well as the other various intercalation compounds. Note the increase in the density of states resulting from inter-

calation by Cu; the calculated result that this density is largest for the  $\text{Cu}_{1/13}\text{TiSe}_2$  case is consistent with the experimental observation that the superconducting transition temperature  $T_c$  is largest for Cu concentration given by  $x \approx 0.08$ . However, as pointed out earlier, the density of states is not the only factor affecting the value of the transition temperature.

It should be remarked that the density of states at the Fermi energy,  $N(E_F)$ , is not necessarily an increasing function of  $x$ , the copper concentration, as Table III clearly indicates. The value of  $N(E_F)$  is intimately connected to the band structure. As  $x$  increases, the Fermi

Compound	$N(E_F)$
$\text{TiSe}_2$	0.86
$\text{Cu}_{1/16}\text{TiSe}_2$	1.06
$\text{Cu}_{1/13}\text{TiSe}_2$	1.22
$\text{Cu}_{1/9}\text{TiSe}_2$	1.01

TABLE III: The calculated electronic density of state at the Fermi level  $N(E_F)$ , in the states per eV per one  $\text{TiSe}_2$  unit, for  $\text{TiSe}_2$  and its copper intercalation compounds.

level rises; consequently, the number of bands crossing the Fermi level may change, or that a band will cross the Fermi level at a new K-point in the BZ where DOS may have a larger or a smaller value than the old K-point.

#### IV. CONCLUSION

In conclusion, we have presented calculations, within the density functional theory, of the electronic energy bands and the density of state of copper intercalated  $\text{TiSe}_2$ . We have shown that a rigid band model describes reasonably well the effect of the intercalation on Ti 3d derived bands, but not as well for Se 4p derived bands. As a consequence of charge transfer from the Cu atoms to the host layers, the Fermi level rises, the Se 4p hole pocket gets filled; this is the probable cause for the suppression of the charge density wave transition. This, coupled with an increase of the electronic density of states at the Fermi level, is perhaps the cause of the emerging superconductivity in these novel intercalation compounds.

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